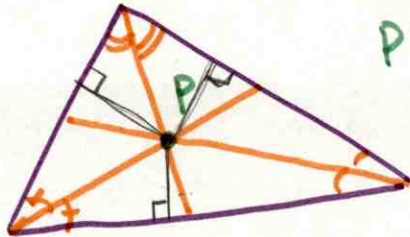
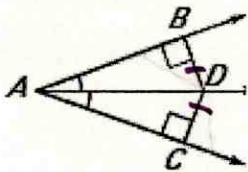
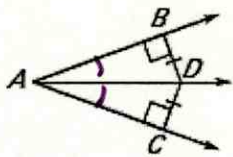


Use Angle Bisectors of a Triangle

Vocabulary	Definition	Example
<p>INCENTER</p>	<p>The point of concurrency of the three angle bisectors of a triangle is called the incenter of the triangle.</p>	 <p>P is the incenter</p>
<p>ANGLE BISECTOR THEOREM</p>	<p>If a point is on the bisector of an angle, then it is <u>equidistant</u> from the <u>two sides</u> of the angle.</p> <p>* must be \perp to the sides</p>	<p>If \overrightarrow{AD} bisects $\angle BAC$ and $\overline{DB} \perp \overline{AB}$ and $\overline{DC} \perp \overline{AC}$, then $DB = DC$.</p> 
<p>CONVERSE of ANGLE BISECTOR THEOREM</p>	<p>If a point is in the interior of an angle and is equidistant from the sides of the angle, then it lies on the bisector of the angle.</p> <p>\perp</p>	<p>If $\overline{DB} \perp \overline{AB}$ and $\overline{DC} \perp \overline{AC}$ and $DB = DC$, then \overline{AD} <u>bisects</u> $\angle BAC$.</p> 
<p>CONCURRENCY of ANGLE BISECTORS of a TRIANGLE</p>	<p><u>incenter</u> The angle bisectors of a triangle intersect at a <u>point</u> that is <u>equidistant</u> from the <u>sides</u> of the triangle.</p> <p>must form \perp be</p>	<p>If \overline{AP}, \overline{BP}, and \overline{CP} are angle bisectors of $\triangle ABC$, then $PD = PE = PF$.</p> <p>* will use $c^2 = a^2 + b^2$</p> 